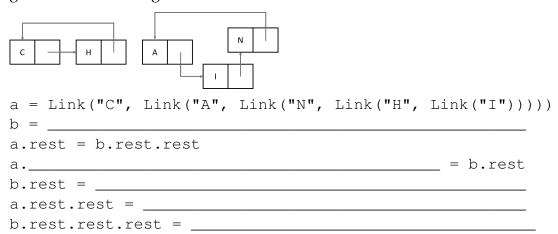
## **CS 61A**

#### August 11, 2021

## | Environment Diagrams

#### 1. 2 Chainz

2 Chainz accidentally scrambled his chains! Now there's just one long link that reads "CANHI." Fill in each blank in the code example below so that its environment diagram is the following.



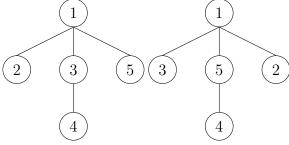
- 1. The DLList class is a spin off of the normal Link class we learned in class; each DLList link has a prev attribute that keeps track of the previous link and a **next** attribute that keeps track of the next link. Fill in the following methods for DLList.
  - (a) class DLList:

(b)	<pre>def add_last(self, value):</pre>	
	п п п	
	>>> lst = DLList(6)	
	>>> lst.add_last(1)	
	>>> lst.value	
	6	
	>>> lst.next.value	
	1	
	>>> lst.next.prev.value	
	6	
	11 11 11	
	pointer = self	
	while:	
	- DII; a+ /	١

ef add_first(self, value): """
>>> lst = DLList('A')
>>> lst.add_first(1)
>>> lst.value
1
>>> lst.next.value
'A'
>>> lst.next.prev.value
1
>>> lst.add_first(6)
>>> lst.value
6
>>> lst.next.next.prev.value
1
II II II
old_first = DLList(
=
=

1. Implement rotate, which takes in a tree and rotates the labels at each level of the tree by one to the left destructively. This rotation should be modular (That is, the leftmost label at a level will become the rightmost label after running rotate). You do NOT need to rotate across different branches.

For example, given tree t on the left, rotate (t) should mutate t to give us the right.



2. Define tree\_sequence, a generator that iterates through a tree by first yielding the root value and then yielding the values from each branch.

```
def tree_sequence(t):
    """

>>> t = tree(1, [tree(2, [tree(5)]), tree(3, [tree(4)])])
>>> print(list(tree_sequence(t)))
    [1, 2, 5, 3, 4]
    """
```

# 4 Tree Recursion

1. Define all\_sums, a generator that iterates through all the sums that can be formed by adding the elements in lst.

2. Fill in combine\_to\_61, which takes in a list of positive integers and returns True if a contiguous sublist (i.e. a sublist of adjacent elements) combine to 61. You can **combine** two adjacent elements by either summing them or multiplying them together. If there is no combination of summing and multiplying that equals 61, return False.

```
def combine_to_61(lst):
   11 11 11
   >>> combine_to_61([3, 4, 5])
   False # no combination will produce 61
   >>> combine_to_61([2, 6, 10, 1, 3])
   True \# 61 = 6 * 10 + 1
   >>> combine_to_61([2, 6, 3, 10, 1])
   False # elements must be contiquous
   11 11 11
   def helper(lst, num_so_far):
         return True
         return False
      with_sum = ____ and \
         helper(______)
      with_mul = _____ and \
         helper(_____, ____
      return with_sum or with_mul
   return _____
```

# 5 Linked Lists

1. Complete the implementation of iter\_link, which takes in a linked list and returns a generator which will iterate over the values of the linked list in order. Your function should support deep linked lists.

<pre>def iter_link(lnk):</pre>
" " "
Yield the values of a linked list in order; your function
should support deep linked lists.
>>> lst1 = Link(1, Link(2, Link(3, Link(4))))
>>> list(iter_link(lst1))
[1, 2, 3, 4]
>>> lst2 = Link(1, Link(Link(2, Link(3)), Link(4, Link(5)))
>>> print(lst2)
<1 <2 3> 4 5>
>>> iter_lst2 = iter_link(lst2)
>>> next(iter_lst2)
1
>>> next(iter_lst2)
2
>>> next(iter_lst2)
3
>>> next(iter_lst2)
4
" " "
<pre>if lnk is not Link.empty:</pre>
<b>if type</b> () <b>is</b> Link:
else:

2. Write a function <code>combine\_two</code>, which takes in a linked list of integers <code>lnk</code> and a two-argument function <code>fn</code>. It returns a new linked list where every two elements of <code>lnk</code> have been combined using <code>fn</code>.

def	<pre>combine_two(lnk, fn): """</pre>	
	<pre>&gt;&gt;&gt; lnk1 = Link(1, Link(2, Link(3, Link(4) &gt;&gt;&gt; combine_two(lnk1, add) Link(3, Link(7))</pre>	))
	<pre>&gt;&gt;&gt; lnk2 = Link(2, Link(4, Link(6))) &gt;&gt;&gt; combine_two(lnk2, mul) Link(8, Link(6)) """</pre>	
	if:	
	return	
	elif	
	return	
	combined =	
	return	

# **6** Higher-Order Functions

1. Write a function, make\_digit\_remover, which takes in an integer from 0-9, i. It returns another function which takes in an integer, and removes all digits from right to left up to and including the first occurance of i. If i does not occur in the integer, this function returns the original number.

def	<pre>make_digit_remover(i):</pre>				
		<pre>remove_two = make_digit_remover(2) remove_two(232018)</pre>			
	>>> 0	remove_two(23)			
	>>> 99 """	remove_two(99)			
	def	remove():			
		removed =			
		<b>while</b> > 0:			
		removed = removed // 10			
		if:			
		return			
	reti	ırn			

2. Write a function, <code>curry\_forever</code>, which takes in a two-argument function, <code>f</code>, and an integer, <code>arg\_num</code>. It returns another function that allows us to enter <code>arg\_num</code> amount of numbers into f one by one.

def	<pre>curry_forever (f, arg_num, base=0): """</pre>
	>>> g = curry_forever(add, 4) >>> g(1)(2)(3)(4) # 1 + 2 + 3 + 4 10 """
	<pre>def helper(arg_num, amt):</pre>
	<pre>if arg_num == 0:</pre>
	return

### 7 Scheme

1. You are creating a computer from scratch. In their rawest form, computers use 0s and 1s to compose commands and data. Fill in a function that takes a list of boolean values representing an **unsigned binary number** and returns its **decimal representation**. Each #t in the list represents a 1 and each #f represents a 0, with the **first** element in the list being the **rightmost** (smallest) binary digit and the **last** element being the **leftmost** (largest) binary digit.

```
; Doctests
scm> (binary (list #f #t)); 10
scm> (binary (list #t #f #t #t)); 1101
13
scm> (binary (list #t #f #f #f)); 10011
19
scm> (binary (list #f)); 0
0
(define (binary bin-list)
  (cond
    ((null?)
   )
    (else
   )
 )
)
```

2. Now, write the binary to decimal function, but in tail recursive form. Note that the expt function takes in a base and an exponent. For example, (expt 2 3) raises 2 to the third power, returning 8.

```
;Doctests
scm> (binary-tail (list #f #t)); 10
scm> (binary-tail (list #t #f #t #t)); 1101
13
scm> (binary-tail (list #t #t #f #f #t)); 10011
19
scm> (binary-tail (list #f)); 0
0
(define (binary-tail bin-list)
  (define (helper bin-list i sum)
    (cond
      ((null? ____)
     )
     )
      (else
     )
   )
  (helper _____)
)
```

3. Given the function run, write the helper function duplicate that takes in a list of integers, lst, and an integer n. The duplicate function takes each element of the list and duplicates it by its value (i.e. If the first number in the list is 2, add 2 as the next element in the list so we have a total of two 2's in the list).

)

## 8 Tail Recursion

1. Implement slice, which takes in a a list lst, a starting index i, and an ending index j, and returns a new list containing the elements of lst from index i to j-1.

```
;Doctests
scm> (slice '(0 1 2 3 4) 1 3)
(1 2)
scm> (slice '(0 1 2 3 4) 3 5)
(3 4)
scm> (slice '(0 1 2 3 4) 3 1)
()
(define (slice lst i j)
```

2. Now implement slice with the same specifications, but make you implementation tail recursive.

You may wish to use the built-in append function, which takes in two lists and returns a new list containing the elements of the two lists concatenated together.

```
(define (slice lst i j)
```

)